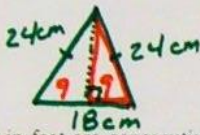


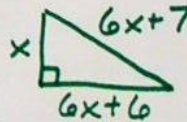
Using the Pythagorean Theorem

Make a diagram for each problem. Simplify (if possible) your solutions. Approximate to the nearest tenth.

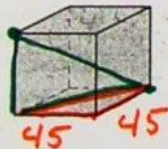
- Find the length of each diagonal of a rectangle whose dimensions are 33 cm by 56 cm.
- A guywire 20 m long is attached to the top of a telephone pole. The guywire is just able to reach a point on the ground 12 m from the base of the telephone pole. Find the height of the telephone pole.
- A baseball diamond is a square 90 ft on a side. What is the length from first base to third base?
- The dimensions of a rectangular doorway are 200 cm by 90 cm. Can a table top with a diameter of 210 cm be carried through the doorway?
- The base of an isosceles triangle is 18 cm long. The equal sides are each 24 cm long. Find the altitude.



- A right triangle has sides whose lengths in feet are consecutive even integers. Determine the length of each side.
- The longer leg of a right triangle is 6 cm longer than 6 times the shorter leg and also 1 cm shorter than the hypotenuse. Find the perimeter of the triangle.
- Find the area of a triangle with three sides of length 4 cm. (Hint: Find the height first.)



- What is the length of each diagonal of a cube that is 45 cm on each side?



- What is the length of each diagonal of a rectangular box with length 55 cm, width 48 cm, and height 70 cm? Would a meter stick fit in the box?

Simplify.

1) $\sqrt{125n}$

2) $\sqrt{216v}$

3) $\sqrt{512k^2}$

4) $\sqrt{512m^3}$

5) $\sqrt{216k^4}$

6) $\sqrt{100v^3}$

7) $\sqrt{80p^3}$

8) $\sqrt{45p^2}$

15) $\sqrt{36x^2y^3}$

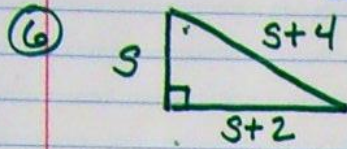
16) $\sqrt{384x^4y^3}$

17) $7\sqrt{96m^3}$

18) $6\sqrt{72x^2}$

$$a^2 + b^2 = c^2$$

WS Using the Pythagorean Theorem



$$s^2 + (s+2)^2 = (s+4)^2$$

$$s^2 + (s+2)(s+2) = (s+4)(s+4)$$

$$s^2 + \cancel{s^2} + 4s + 4 = \cancel{s^2} + 8s + 16$$

$$s^2 - 4s - 12 = 0$$

$$(s-6)(s+2) = 0$$

$$\downarrow$$
$$s = 6$$

$$\downarrow$$
$$\cancel{s = -2}$$

(Doesn't make sense.)

$s =$	$6F +$
$s + 2 =$	$8F +$
$s + 4 =$	$10F +$